# MATHEMATICAL GRAMMAR SCHOOL CUP <br> June, 25, 2015 

## TASK 1. EXPRESSION

Time limit: 1 sec
Memory limit: $\mathbf{6 4}$ MB
As you may already know, the set of regular bracket sequences $S$ is recursively defined as follows:

1. $\varepsilon \in S$ (an empty string is a regular bracket-sequence)
2. $A \in S \Rightarrow(A) \in S,[A] \in S,\{A\} \in S$ (bracketing: if A is a regular bracket-sequence, then (A), [A] and $\{\mathrm{A}\}$ are also regular bracket-sequences)
3. $A, B \in S=>A B \in S$ (concatenation: if A and B are regular bracket-sequences, then AB is also a regular bracket-sequence)

For example, the sequence (()) is regular (i.e. $(()) \in S$ according to rule 2 and the fact that ()$\in S$; this, in turn, follows by rule 2 from the fact that $\varepsilon \in S$. The latter is simply rule 1. ) Also, the sequences $\{(\})\},()[]\{ \}$ and $\{[]\}()\{[]\}$ are regular, but the sequences $\{[\{\{(\{,()[\{ ]\}$ and $\{[]\})([\}]$ are not.

You have given a string which looks like it could be a regular bracket-sequence. Some of the characters are missing, and could have been any character. Write a program EXPRESSION that calculates how many ways the missing characters in the string can be replaced by brackets so that the result is a regular bracket-sequence. This number can be very large, so output only its last 5 digits.

## Input

The even integer number $\mathrm{N}(2 \leq \mathrm{N} \leq 200)$, the length of the string, have to be entered from the first line of standard input. The second line contains the string. Missing characters are represented by the '?' symbol.

## Output

Output on the standard output a single line with one number - the number of regular bracket sequences the string could have read.

## Examples

Example 1
Input
4
[ ] \{ \}
Output
1

## Example 2

Input
10
\{?\{[?\}]?)?
Output
3

## Example 3

Input
18
???[????????]?????)
Output
58983

Example 1 - Explanation: There is only 1 regular bracket sequence from input string
Example 2 - Explanation: There are three matching regular bracket-sequences: $\{(\{[\}]\})\},\{ \}\{[\{ \}]()\}$ and $\{[\{[]\}]()\}$.
Example 3-Explanation: Output last five digits the number of regular bracket sequences the string could have read

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## Task 2 SUM

Time limit: 2 sec
Memory limit: $\mathbf{6 4}$ MB
Given an array, A, of N integers, remove exactly K of them from the array. Let MAX be the largest difference of any two remaining numbers in the array, and min the smallest such difference. Select the K integers to be removed from A in such a way that the sum MAX $+\min$ is the smallest possible.

## Input

From first line of the standard input you can read two positive integers, $\mathbf{N}(3 \leq \mathbf{N} \leq 1000000)$ and $\mathbf{K}(1 \leq \mathbf{K} \leq \mathbf{N}-2)$. The second line of input contains $\mathbf{N}$ space-separated integers - the array $\mathbf{A}(-5000000 \leq \mathbf{A i} \leq 5000$ 000).

## Output

On the only line of the standard output bring out the smallest possible sum MAX + min.

## Example

## Input

62
-5 $810113-1$

## Output

13

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## TASK 3. SOLDIER

Time limit: 0.2 sec
Memory limit: $\mathbf{6 4}$ MB
There is a rectangular table with $m$ rows and $n$ columns. The numbers from 1 to $m n$ are written row by row in the table cells. A tin soldier is located in the cell in which the number $r$ is written. The tin soldier can move in one step to an adjacent cell of the table upwards, downwards, left or right. Write a program SOLDIER, which computes the sum of the numbers in the cells to which the tin soldier can move by doing exactly $k$ steps.

## Input

The numbers $m, n, r$ and $k(1<m<100,1<n<100,1<k<200)$ have to be entered from the first line in standard input separated by one space.

## Output

Output on the standard output a single line with one number - the computed sum.

## Examples

Example 1
Input
3581
Output
32

Example 2
Input
5391
Output
26

## Example 3

Input
4362
Output
32

Example 1 - Explanation: output $32=3+7+9+13$
Example 2 - Explanation: output $26=6+8+12$
Example 3 - Explanation: output $32=2+4+8+6+12$

